

Saturated Finite-Time Control for Uncertain Multiagent Systems with Uncertainties and Disturbances

Xiaowu YANG^a, Xiaoping FAN^b, Fei LONG^a, Ganrong LI^c

^a College of Artificial Intelligence and Electrical Engineering, Guizhou Institute of Technology, and Special Key Laboratory of Artificial Intelligence and Intelligent Control of Guizhou Province, Guiyang 550003, China

^b School of Information Technology and Management, Hunan University of Finance and Economics, Changsha, 410205 China

^c College of Engineering, Tongren Polytechnic College, Tongren, 554300 China

Corresponding Author, Xiaowu YANG, 1st, Caiguan Road, Yunyan District, Guiyang City, Guizhou Province; E-mail: 461829247@qq.com.

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Introduction

Multiple autonomous agents are utilized to carry out many complicated tasks in recent decades, such as surveillance and rescue, monitoring environments and object transportation, etc.

Research objectives

Control objective: with the above preparation in hand, the control objective in this paper is to construct adaptive control protocols for the follower agent such that the formation errors e_{xi} and e_{vi} for $i = 1, 2, \dots, n$, are steered to zero, i.e., $e_{xi} = 0$ and $e_{vi} = 0$, in a finite time t_f in spite of structured uncertainties and unstructured external disturbances.

Controller

the resulting error dynamics of multiagent systems is

$$\begin{aligned}\dot{e}_x &= e_v \\ \dot{e}_v &= g(p, v)u + \theta^T \varphi(p, v) + w(t)\end{aligned}$$

Theorem: Consider a group of multiagent systems, the control objective is achieved, i.e., the specified formation is achieved in finite time under the action of by the i th follower.

$$\begin{aligned}u_i &= -\frac{1}{g(p, v)}(ce_v + sat_\delta(K_1s(p, v))) \\ &\quad + sat_\delta(|K_1s(p, v)|^{\frac{1}{2}})sgn(K_1s(p, v))\end{aligned}$$

Results

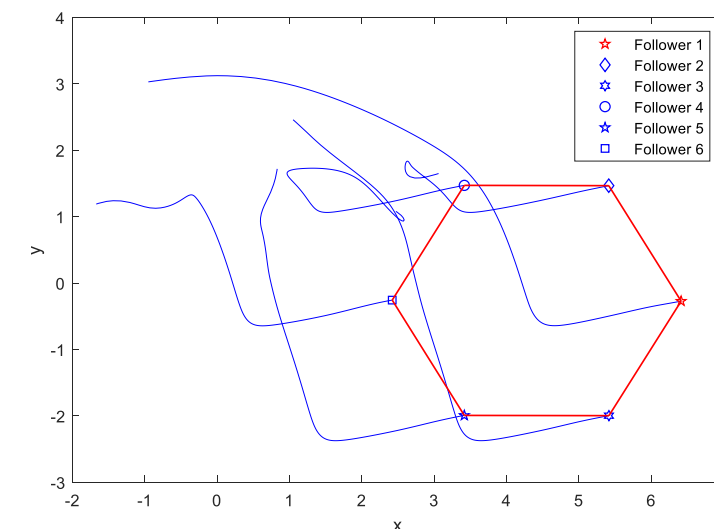


Fig. 1 The desired formation.

Conclusion

A boundary layer for the saturation-like function is properly chosen and its corresponding open set is obtained by carrying out the simulation, and the switching condition on the proposed controller is derived.